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Total No of pg : 2

BTAM-102

BTAM-102

May-2014

BTAM-102 : ENGINEERING MATHEMATICS - II

B.Tech.

Time Allowed: 3 Hours

Maximum Marks : 60

Note : 1. Section A is compulsory.2. Attempt a total of 5 Questions from Section B and C, Selecting at least 2 from each section.

SECTION - A

- 1. (i) Solve the differential equation $y(2xy + e^x) dx = e^x dy$
 - (ii) State the necessary and sufficient conditions for the equation M(x, y)dx + N(x, y) dy = 0 to be an exact differential equation.
 - (iii) Find the particular integral of the differential equation $(D-2)^2 y = Sin 2x$.
 - (iv) Solve the differential equation $\frac{dy}{dx} \frac{dx}{dy} = \frac{x}{y} \frac{y}{x}$.
 - (v) Find the rank of the matrix $A = \begin{bmatrix} 1 & 3 \\ 2 & 4 \end{bmatrix}$.
 - (vi) Difine a linear transformation from a vector space V & a vector space W.
 - (vii) State the integral test for the convergence of a series of positive terms.
 - (viii) State De Moire's theorem for a positive integer.
 - (ix) Find the real and imaginary parts of $e^{3xy + 4iy^2}$
 - (x) What do you understand by the eigen values and their corresponding eigen-vectors.?

SECTION - B

Note : Each question in this section carries 8 marks.

2. Solve the differential equation

$$x - y(1 + x - y^2)\frac{dy}{dx} = 1.$$

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- 3 Solve the differential equation. $(1 + x)2\frac{dy}{dx} + (1 + x)\frac{dy}{dx} + y = 2 \operatorname{Sin} (\log (1 + x)).$
- 4. Solve the following simultaneous differential equations : $\frac{dy}{dt} + 4x - y = 0$, $\frac{dx}{dt} - 5x - y = 0$.
- 5. A particle of mass on executes simple harmonic motion in the line joining the points A and B on a smooth table and is connected with these points by elastic stings whose tensions in equilibrium one each T. If l, l¹ be the extensions of the strings beyond their natural lengths, find the time of an oscillation.

SECTION - C

Note : Each question in this section caries 8 marks.

6. Verify Cayley Haviltion theorem for the matrix

A=	1 1 -2	$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	Hance find A ⁻¹

- 7. Test for consistency and solve the system of linear equations 5x + 3y + 7z = 4, 3x + 26y + 2z = 9, 7x + 2y + 10z = 5.
- **8.** a) Define an alternating series state Leibnity's rule to test the convergence of an alternating series.
 - b) Give an example of a series which is conergent but not absolutely convergent. Justify your statement.
- 9. a) Separate $Sin^{-1}(Cos\phi + iSin\phi)$ into real and imaginary parts, where ϕ is a positive acute angle.
 - b) Expand $\cos^{8}\varphi$ in a series of cosines of multiples of φ .

-----:End:-----

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